


District-Wide Mathematics Professional Development Support

Including:

- Provided Grades K-12 mathematics PD on August 26, 2009
- Provided Grades 3-5 mathematics PD on Oct. 30, 2009 & had teachers integrate the best practices into their textbook series -- model used to bridge the gap between PD and daily practice
- Provide monthly after school mathematics PD for Grades K-12
- Provide monthly PD for site administrators

3

A few comments from AUSD Teachers ...



Hi Phil,
I just looked at your Sieve of Eras PP presentation - looks good - which I'll show tomorrow. Kelly Schroeder showed it today. We're planning together and are focusing on alternate ways of concept presentation, as well as using the bar model in problem solving. I was teaching a mini-lesson on % today and found the bar model to be effective. It's nice to have lots of tools and to see students "get it." Thanks!

Glenn Aitkens / Edison / AUSD

4

$$1,000 - 376 =$$

$$\begin{array}{r} \overset{99}{1,000} \\ - 376 \\ \hline 624 \end{array}$$

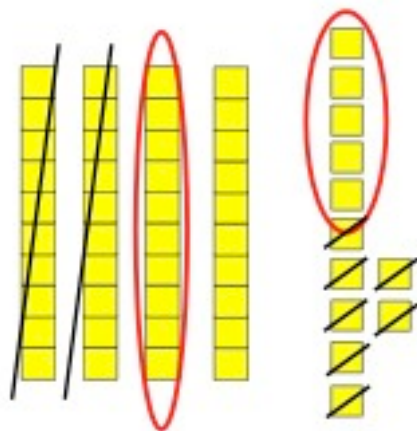
$$\begin{array}{r} 1,000 = 999 + 1 \\ - 376 \quad - 376 \\ \hline = 623 + 1 \\ = 624 \end{array}$$

$$\begin{array}{r} 1,000 - 376 \\ = 1 + 999 - 376 \\ = 1 + 623 \\ = 624 \end{array}$$


5

$$42 - 27 = 15$$

$$\begin{array}{r} \overset{3}{\cancel{4}}2 \\ - 27 \\ \hline 15 \end{array}$$



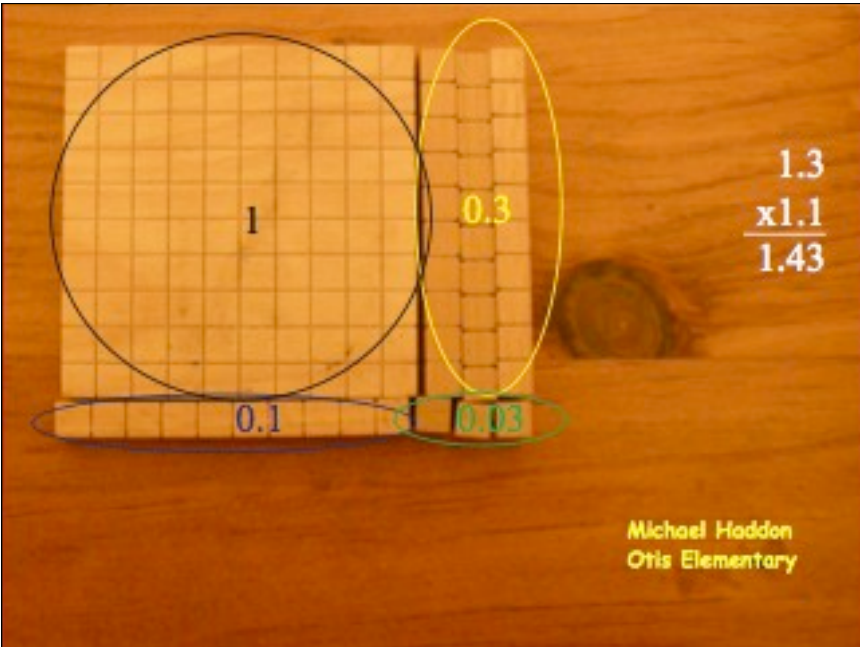
6



I am very pleased to be part of SIMI II and feel that it is improving my teaching ability and the math knowledge of my students.

Michael Haddon
Otis Elementary

9



1
0.3
0.1
0.03

$$\begin{array}{r} 1.3 \\ \times 1.1 \\ \hline 1.43 \end{array}$$

Michael Haddon
Otis Elementary

10

After School Mathematics Professional Development:

Grade Levels:	Date:	Description:	Presenter:
K – 2	Oct. 29	Number Books, Ten Frames, Bar Models - for adding subtracting	Katherine Crawford
3 – 5	Oct. 27	Adding and Subtracting Fractions/ Mixed Numbers, LCM, Bubble Method	Aimée Penn
6 – 7	Nov. 5	Solving Equations - bar models, decomposition	Rick Doran
Algebra	Nov. 3	Graphing Linear and Quadratic Functions	Joy Sigmon

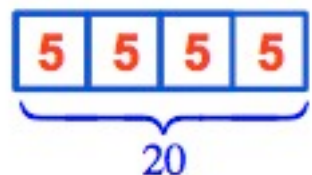
11

After School Mathematics Professional Development:

Grade Levels:	Date:	Description:	Presenter:
2 – 3	Dec. 10	Instructional mitigations based on Trimester 1 data	Katherine Crawford
4 – 5	Dec. 8	Instructional mitigations based on Trimester 1 data	Aimée Penn
6 – 7	Dec. 9	Linear Functions	Rick Doran
Algebra	Dec. 1	Systems of Equations	Joy Sigmon
Special Ed Grades 6-12	Jan. 7	Relational Thinking	Phil Gonsalves

12

Relational Thinking

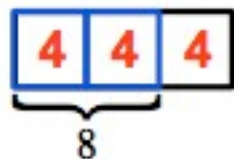


$$\frac{y}{4} = 5$$

$$4 \left(\frac{y}{4} \right) = 4(5)$$

$$y = 20$$

15



$$\frac{2x}{3} = 8$$

$$\frac{3}{2} \left(\frac{2x}{3} \right) = \frac{3}{2}(8)$$

$$x = 12$$

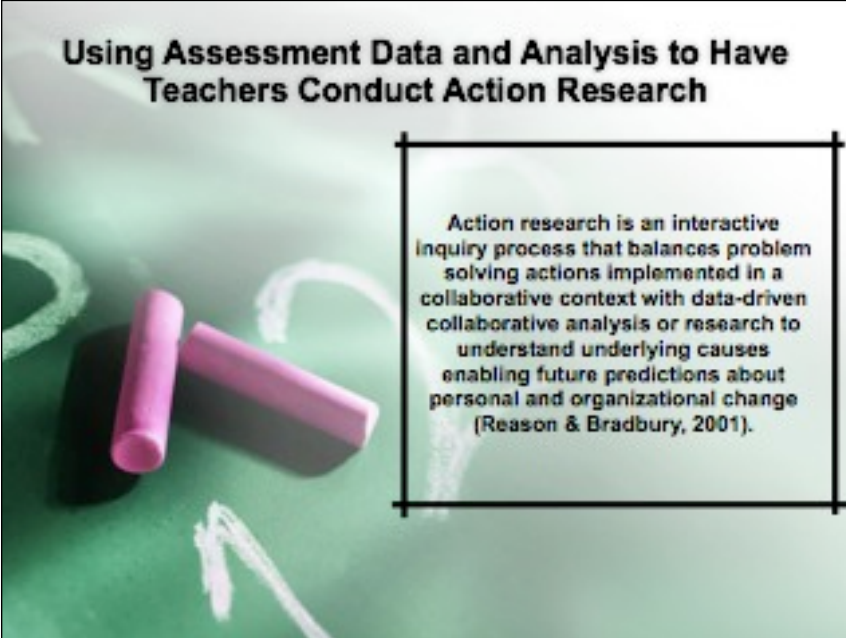
16

Using Data to Develop Instructional Mitigations

- Developed Benchmark Assessments for Grades K-Algebra as per MOU
- Developed Benchmark Assessments for Geometry and Algebra II
- Provide Ongoing Professional Development on Using Data to Develop Instructional Mitigations

17

Using Assessment Data and Analysis to Have Teachers Conduct Action Research



Action research is an interactive inquiry process that balances problem solving actions implemented in a collaborative context with data-driven collaborative analysis or research to understand underlying causes enabling future predictions about personal and organizational change (Reason & Bradbury, 2001).

18

Example of Using Data to Inform Practice

Grade 3 Trimester 1 Assessment (n = 190)

12) Ashleigh had 15 barrettes. She got some more for her birthday. Now she has 32 barrettes. How many barrettes did she get for her birthday?

- A 17 **key** 36%
- B 23 12%
- C 27 7%
- D 47 → 45%

$$\begin{array}{r} 15 \\ + 32 \\ \hline 47 \end{array}$$

NS 2.1

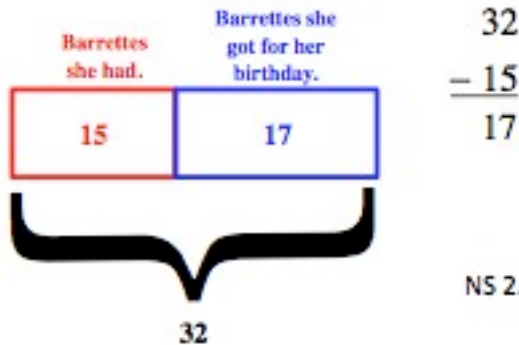
Philip D. Goncalves

19

Grade 3 Trimester 1 Assessment (n = 190)

12) Ashleigh had 15 barrettes. She got some more for her birthday. Now she has 32 barrettes. How many barrettes did she get for her birthday?

- A 17 **key** 36%
- B 23 12%
- C 27 7%
- D 47 45%



NS 2.1

Answer: Ashleigh got 17 barrettes for her birthday.

Philip D. Goncalves

20

Simplify: $\frac{22s^3t}{55s^3t^2}$ **Sample of Professional Development – Developing Instructional Mitigations Based on Data**

A) $\frac{2t}{11}$ B) $\frac{2}{5t}$ C) $\frac{2st}{5}$ D) $11s^3$

15% 40% 31% 13%

Key

What percent of students chose each response?

- 1) What error might students have made to obtain each of the incorrect responses?
- 2) What specifically can teachers do to help each of the students who chose an incorrect response? Determine a specific mitigation for each of the incorrect responses.
- 3) How should this be taught?
- 4) What would you write?
- 5) What would you say?

Simplify: $\frac{22s^3t}{55s^3t^2}$ **Error Analysis**

A) $\frac{2t}{11}$ B) $\frac{2}{5t}$ C) $\frac{2st}{5}$ D) $11s^3$

15% 40% 31% 13%

Key

$\frac{22s^3t}{55s^3t^2}$ $\neq \frac{22}{55}s^{3-3}t^{2-1}$ $= \frac{2}{11}s^0t^1$ $= \frac{2t}{11}$	$\frac{22s^3t}{55s^3t^2}$ $\neq \frac{2}{5}st^1$ $= \frac{2st}{5}$	$\frac{22s^3t}{55s^3t^2}$ $\neq 11s^3$ What they have in common.
--	--	---

Correct Solution Debriefed:

B)
$$\frac{22s^3t}{55s^2t^2}$$

$$= \frac{2 \cdot \cancel{11} \cdot \cancel{s} \cdot \cancel{s} \cdot \cancel{s} \cdot t}{5 \cdot \cancel{11} \cdot \cancel{s} \cdot \cancel{s} \cdot t \cdot t}$$

$$= \frac{2}{5t}$$

Most Common Mistake Debriefed:

C)
$$\frac{22s^3t}{55s^2t^2}$$

$$= \frac{2 \cdot \cancel{11} s^{3-2} t^{2-1}}{5 \cdot \cancel{11}}$$

Error!

$$= \frac{2st}{5}$$

Mitigation: DECOMPOSITION

1. Identify your students who chose the incorrect answers & what mistakes they made.
2. Call them up for small group work focusing on decomposition & proving their work.
3. During the week review 4-5 warm-ups focusing decomposing and finding equivalent forms of 1.
4. Work on test taking strategies, specifically elimination of 1-2 answers when possible.
5. After mitigation, students demonstrate their understanding by completing one similar problem as a ticket in/out. Immediately you'll be able to identify those students who got it and those who are still struggling.

Name: _____

REDO #10

Simplify:
$$\frac{24x^3y}{36x^3y^2}$$

Prove it!

- A) $\frac{4y}{6}$ B) $\frac{2}{3y}$
 C) $\frac{xy}{6}$ D) $6x^3y$

Name: KEY

REDO #10

Simplify:
$$\frac{24x^3y}{36x^3y^2}$$

Prove it!

$$\frac{24x^3y}{36x^3y^2}$$

$$= \frac{\cancel{2} \cdot \cancel{2} \cdot \cancel{2} \cdot \cancel{3} \cdot \cancel{x} \cdot \cancel{x} \cdot \cancel{x} \cdot y}{\cancel{2} \cdot \cancel{2} \cdot \cancel{3} \cdot \cancel{3} \cdot \cancel{x} \cdot \cancel{x} \cdot \cancel{x} \cdot y \cdot y}$$

$$= \frac{1 \cdot 2 \cdot 1 \cdot 1 \cdot 1 \cdot 1 \cdot 1}{1 \cdot 1 \cdot 1 \cdot 1 \cdot 1 \cdot 1 \cdot 1 \cdot y}$$

$$= \frac{2}{3y}$$

- A) $\frac{4y}{6}$ B) $\frac{2}{3y}$
 C) $\frac{xy}{6}$ D) $6x^3y$

Grade 7 Mitigation Warm-ups
Decomposition w/ clean-up step

Day 1	Day 2
<p>Simplify:</p> $\frac{10a^3b}{12a^2b^2}$ <p>Solve the problem using decomposition. How many equivalent forms of 1 might you come up with?</p>	<p>Simplify the expression below using decomposition. Place the correct simplified value in space C. Then come up with three incorrect answers using mistakes students might make.</p> $\frac{105x^2y^2}{35xy}$ <p>A. _____ B. _____ C. _____ D. _____</p>
Day 3	Day 4
<p>Simplify using decomposition. Show your "clean-up" step.</p> $\frac{16x^3y^2}{8x^2y}$ <p>How many equivalent forms of 1 might there be in this problem? _____</p> <p>What value remains in the denominator? _____</p>	<p>Simplify the expression. Show your "clean-up" step.</p> $\frac{15x^2y}{45x^2y^2}$ <p>How many equivalent forms of 1 might there be in this problem? _____</p> <p>What value remains in the numerator? _____</p>
